

can easily check that x^* is by construction a Bayesian Nash equilibrium for G . ■

Remark. One can introduce a constraint correspondence for each agent (*a la* [3] and [10]) and define an abstract Bayesian economy. The argument adopted in the above proof can be used to cover abstract Bayesian economies as well.

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